Stair Climbing Stabilization of the HRP-4 Humanoid Robot using Whole-body Admittance Control

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The floating base of mobile robots is **unactuated**: the only way to control it is by indirect force control. Walking stabilization thus consists of two components: **floating base control** and **force control**.

Floating base control

Linear Inverted Pendulum Mode (LIPM):
use subset of contact wrenches parameterized by ZMP

$$\ddot{\boldsymbol{c}} = \omega^2 (\boldsymbol{c} - \boldsymbol{z})$$

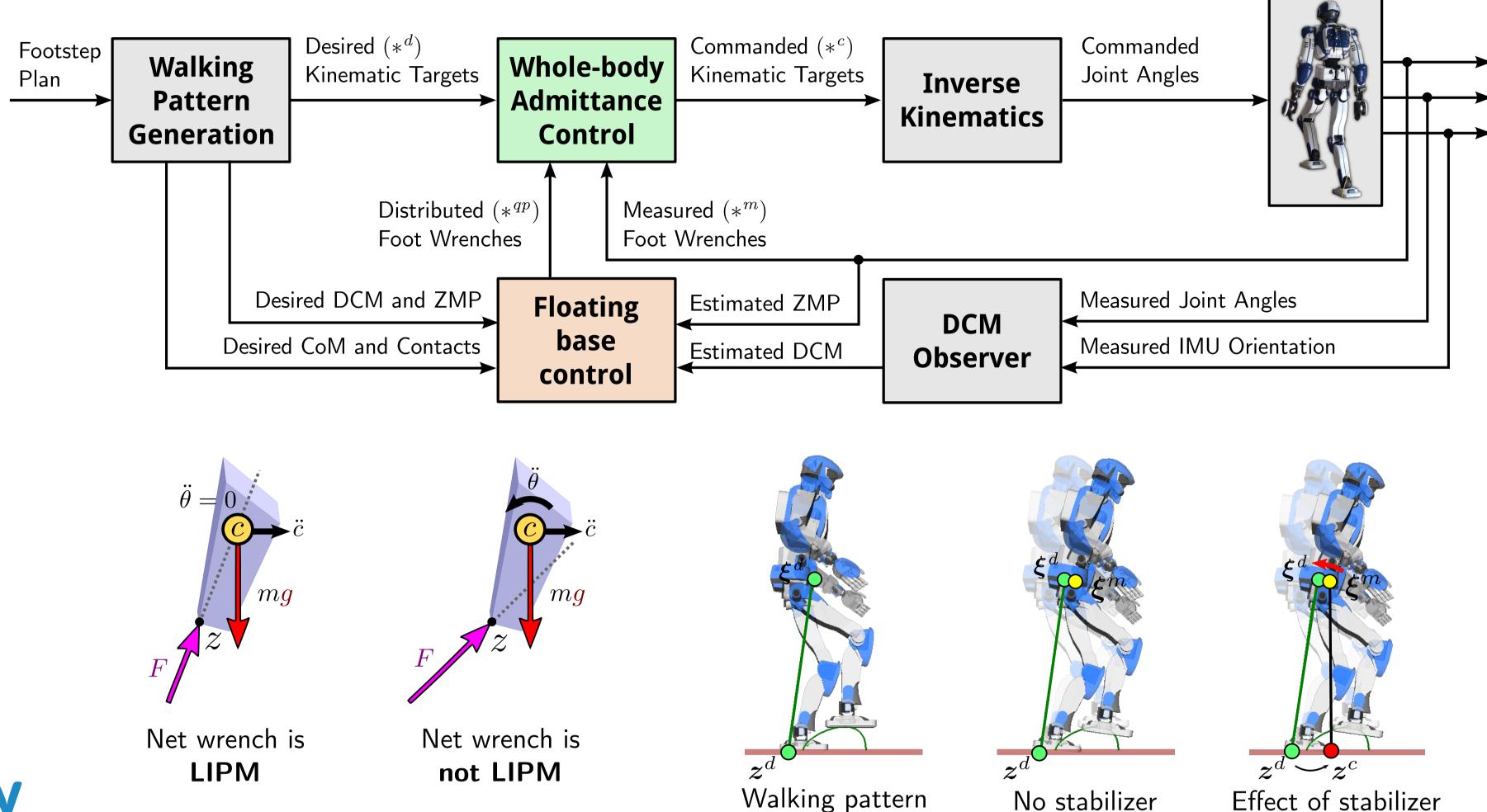
Divergent Component of Motion (DCM):
best coordinate to regulate floating base position

$$\boldsymbol{\xi} = \boldsymbol{c} + \dot{\boldsymbol{c}}/\omega$$

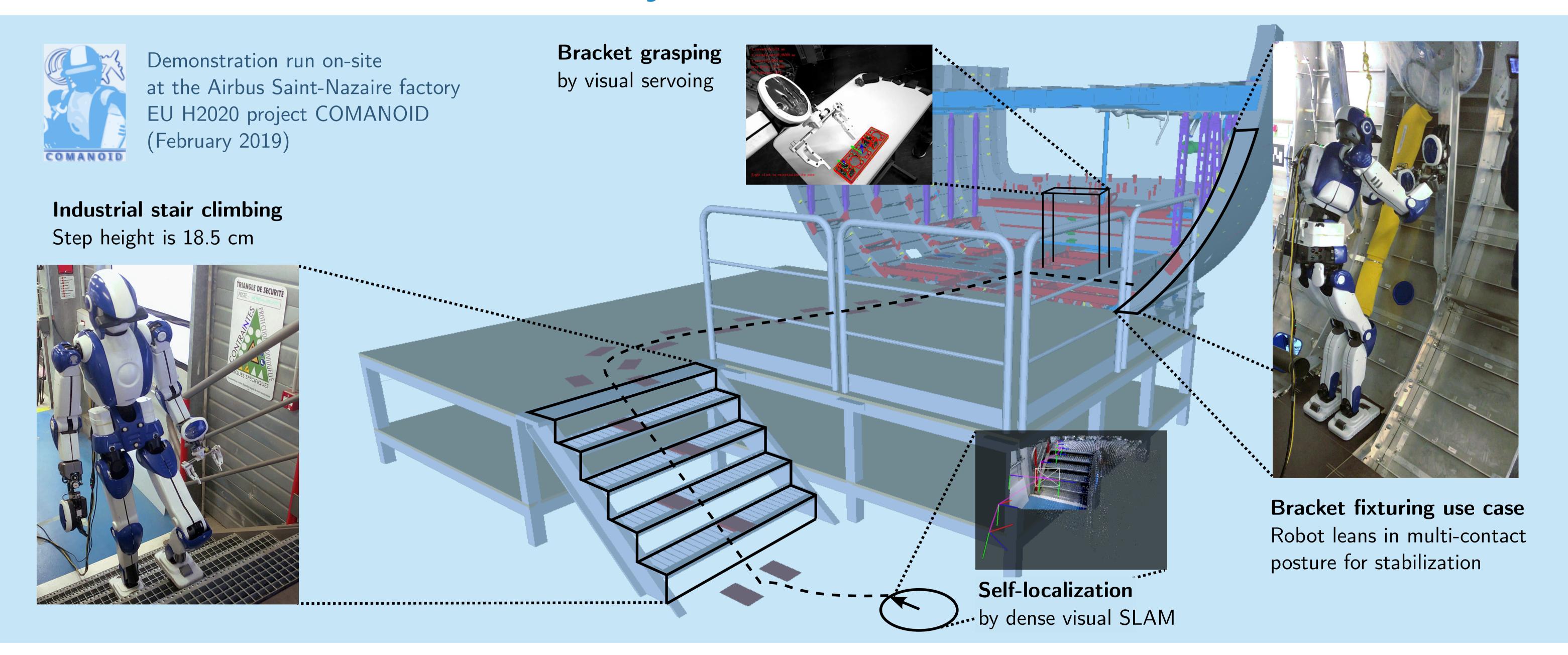
LIPM tracking by DCM feedback:

$$\boldsymbol{z}^c = \boldsymbol{z}^d + K_{dcm}(\boldsymbol{\xi}^m - \boldsymbol{\xi}^d)$$

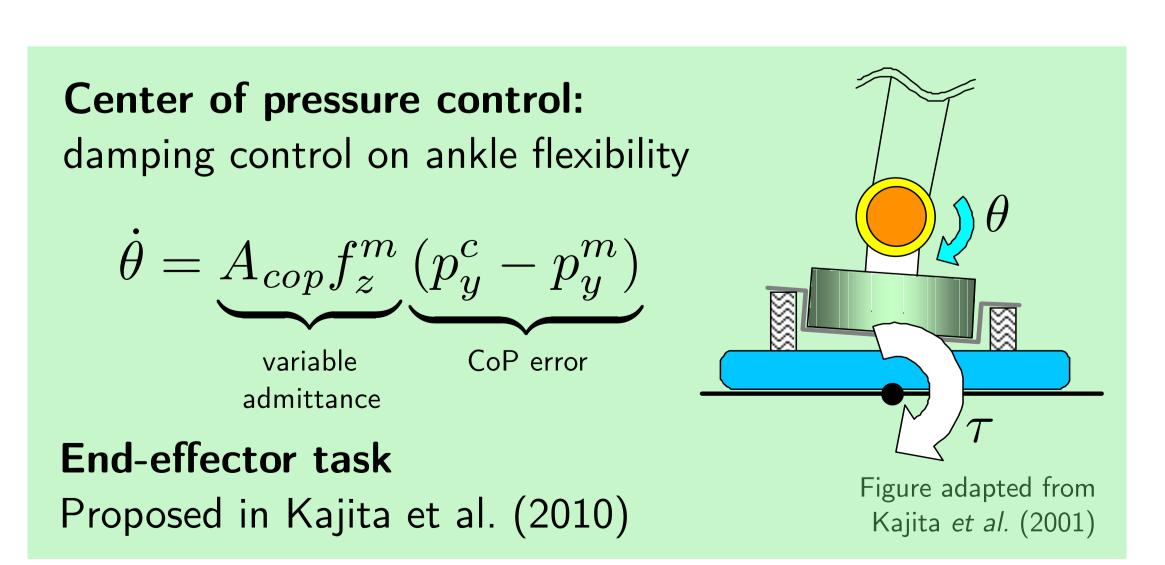
Wrench distribution by Quadratic Programming



Humanoid in the aircraft factory



Whole-body admittance control



Foot force difference control: change relative foot height during double support phases $\Delta f_z = f_{Lz} - f_{Rz}$ $\dot{z}_{ctrl} = A_{dfz} (\Delta f_z^c - \Delta f_z^m)$ $\dot{z}_{Rz} = \int_{Rz} f_{Lz} dz$ Lower-body task Proposed in Kajita et al. (2010)

CoM admittance control: accelerate against the ZMP error $\ddot{m{c}}=\ddot{m{c}}^d+m{A}_{com}(m{z}^m-m{z}^c)$ $m{c}=m{c}^d+\iint (\ddot{m{c}}-\ddot{m{c}}^d)$

Whole-body task Proposed in Nagasaka (1996)

Combining all strategies **improves** the performance of force control for position-controlled robots. However, too much compliance due to force control also degrades floating base position control... How to achieve the best ratio between both?









